

# Bits, Ints and Floats, Vim

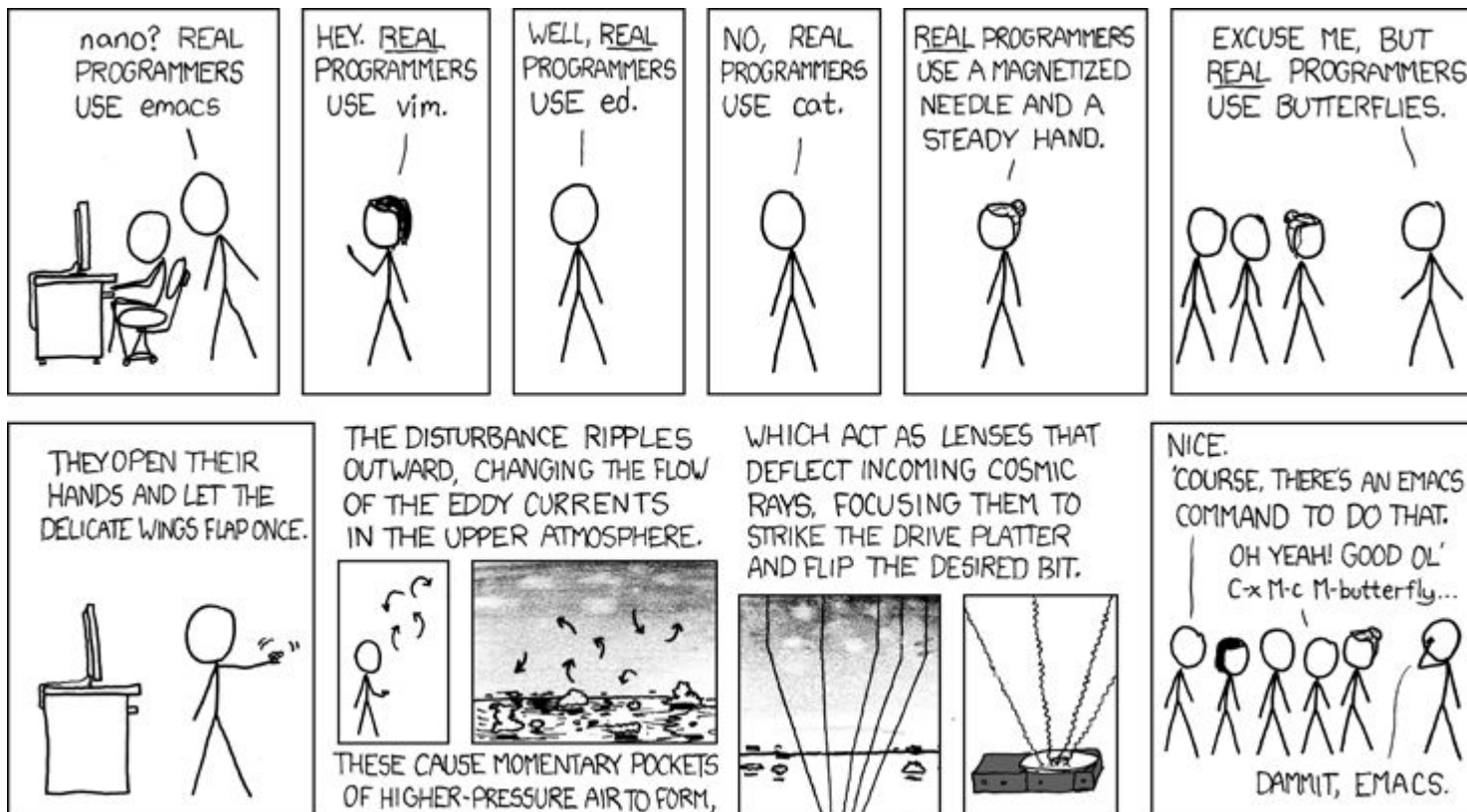
COMP201 Lab 2

Spring 2023



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# Vi/Vim Reminder









# Basic Commands in Vi/Vim (in Normal Mode)

- **Basic navigation:** Arrow keys
- **Navigating across words:** w (next word), b (beginning of word), e (end of word)
- **Jumping in a line:** 0 (beginning of line), \$ (end of line)
- **Jumping in a file:** gg (beginning of file), G (end of file), :{num}<Enter> (moving to line number num)
- **Searching for a string:** /{regex}, n (moving forward to find the next match), N (moving backward to find a previous match)
- **Quitting a file without saving:** :q
- **Quitting a file by discarding modification:** :q!
- **Saving a file without quitting the file:** :w
- **Saving a file and quitting it:** :x

# **Bitwise Operations and Bit Representation of Integers & Floats**



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# Bitwise Operations

- In today's lab practice, you are going to use some bitwise operators.
  - $\&$   $\wedge$   $\gg$   $+$
  - Examples of bitwise operations:
    - **Getting least significant 2 bits of 1110:**
      - $1110 \& 0011 = 0010$
    - **Flipping least significant 2 bits of 1110:**
      - $1110 \wedge 0011 = 1101$
    - **Arithmetic right shifting 1010 by 2 bits:**
      - $1010 \gg 2 = 1110$
    - **Getting the most significant 2 bits of 1010:**
      - $(1010 \gg 2) \& 0011 = 1110 \& 0011 = 0010$



# Bitwise Operations at Byte Level

- **Getting the least 4-bits of 0x6e**

$0x6e \& 0x0f = 01101110 \& 00001111 = 00001110 = 0x0e$

- **Flipping the least significant 4-bits of 0x6e**

$0x6e \wedge 0x0f = 01101110 \wedge 00001111 = 01100001 = 0x061$

- **Arithmetic right shifting 0xee by 4 bits**

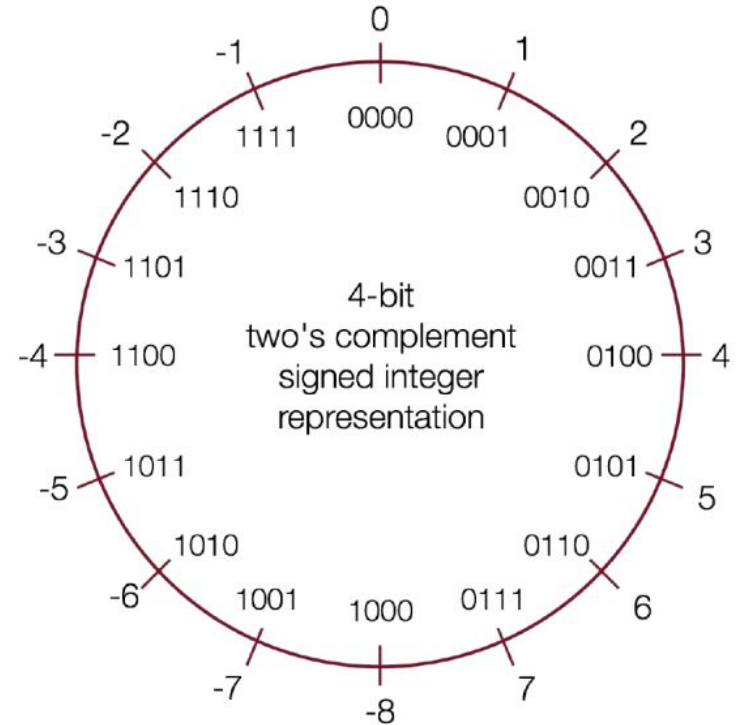
$0xee \gg 4 = 11101110 \gg 4 = 11111110 = 0xfe$

- **Getting the most significant 4 bits of 0xe5**

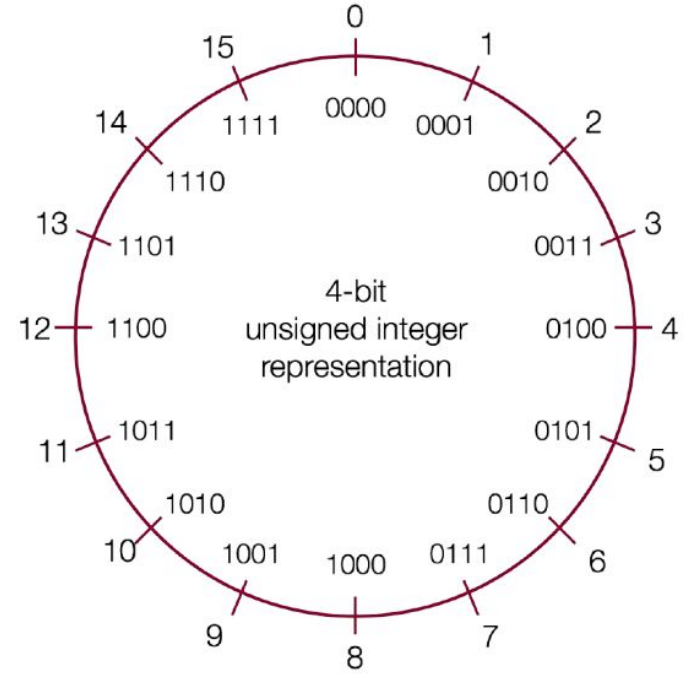
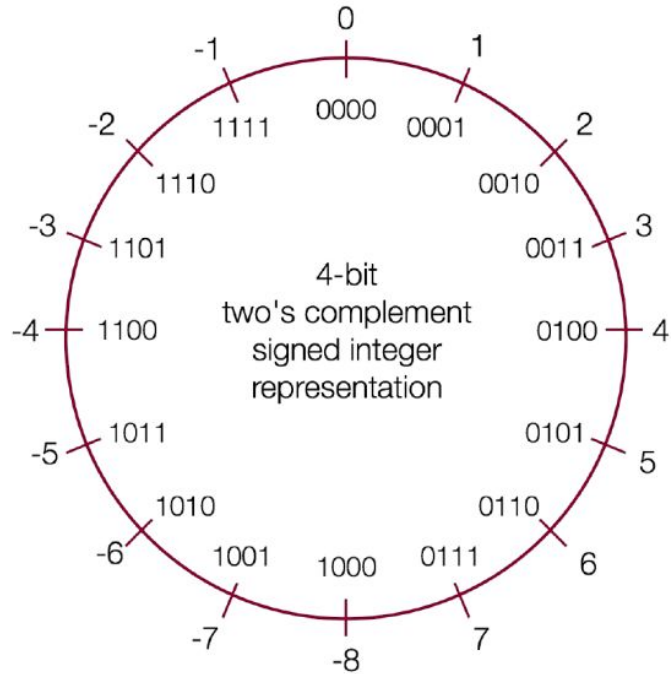
$(0xe5 \gg 4) \& 0x0f = (11100101 \gg 4) \& 00001111 = 11111110 \& 00001111 = 00001110 = 0x0e$

# Two's Complement (Bit Representation of Integers)

- We represent a positive number by itself and a negative number by the two's complement of the corresponding positive number
- The two's complement of a number is the binary digits inverted, plus 1.
  - e.g.  $-0001 (1) = 1111 (-1)$
- Standard addition works
  - e.g.  $1111 (-1) + 0001 (1) = 0000 (0)$
- All bits are used to represent as many numbers as possible (efficient)



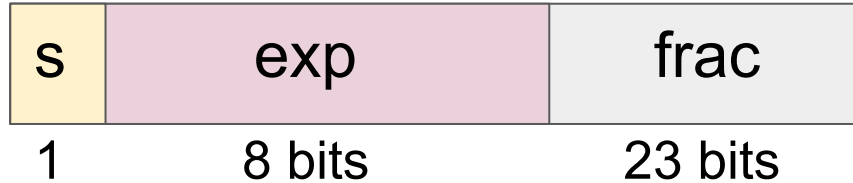
# Signed vs Unsigned



# Two's Complement Exercises

- **minusOne** - return a value of -1
  - Example: `minusOne()` = -1
  - Legal ops: `! ~ & ^ | + << >>`
- **negate** - return -x given x
  - Example: `negate(5)` = -5, `negate(-4)` = 4
  - Legal ops: `! ~ & ^ | + << >>`
- **fitsShort** - return 1 if x can be represented as a 16-bit, two's complement integer.
  - Examples: `fitsShort(33000)` = 0, `fitsShort(-32768)` = 1
  - Legal ops: `! ~ & ^ | + << >>`

# Bit Representation of Floating Point Numbers (32-bits)



- 1 bit is for sign
- 8 bits are for exponent
- 23 bits are for fraction
- Bias =  $2^{(8-1)} - 1 = 127$
- How to read:
  - If  $\text{exp} > 0$  (normalized), floating point number =  $(s ? -1 : 1) * (1.\text{frac}) * 2^{(\text{exp} - 127)}$
  - If  $\text{exp} = 0$  (denormalized), floating point number =  $(s ? -1 : 1) * (0.\text{frac}) * 2^{-126}$

# Bit Representation of Floating Point Numbers (32-bits)

- **Not A Number (NaN):**

Sign	Exponent						Fraction
any	1	...	...	...	...	1	Any nonzero

- **$\pm$  Infinity ( $\pm \infty$ ):**

Sign	Exponent	Fraction
any	All ones	All zeros

- **Zero (0):**

Sign	Exponent	Fraction
any	All zeros	All zeros

**Now, the in lab assignment :)**